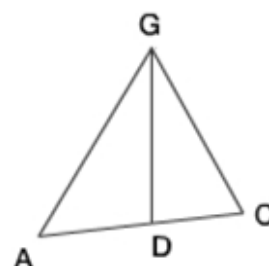


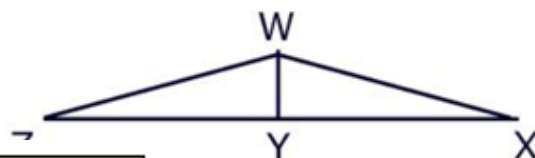
Triangle Proofs Worksheet

1. **Given:** \overline{DG} bisects $\angle AGC$, $\angle GCD \cong \angle GAD$
Prove: $\triangle GCD \cong \triangle GAD$

Statement	Justification
DG bisects $\angle AGC$	Given
$\angle CGD = \angle AGD$	Definition of bisect
$\angle GCD = \angle GAD$	Given
$GD = GD$	Common side
$\triangle CGD \cong \triangle AGD$	AAS



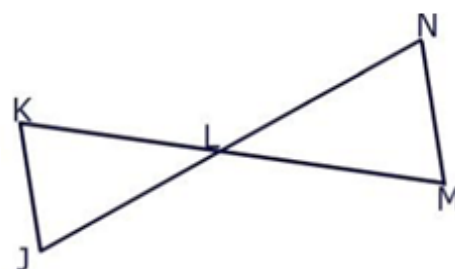
2. **Given:** $\overline{WZ} \cong \overline{WX}$, \overline{WY} bisects \overline{ZX}
Prove: $\triangle WYZ \cong \triangle WYX$



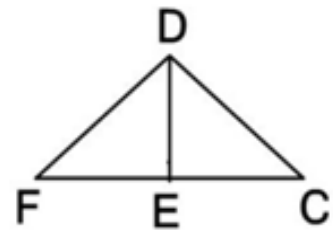
Statement	Justification
WY bisects ZX	Given
$WZ = WX$	Given
$ZY = XY$	Definition of bisect
$WY = WY$	Common side
$\triangle WZY \cong \triangle WXY$	SSS

3. **Given:** KM bisects JN , $\angle K \cong \angle M$
Prove $\triangle KJL \cong \triangle MLN$

Statement	Justification
KM bisects JN	Given
$JL = NL$	Definition of bisect
$\angle K = \angle M$	Given
$\angle KJL = \angle MLN$	Opposite angles
$\triangle KJL \cong \triangle MLN$	AAS



4. **Given:** DE is a perpendicular bisector of FC.
 $DF \cong DC$
Prove: $\triangle DEF \cong \triangle DEC$



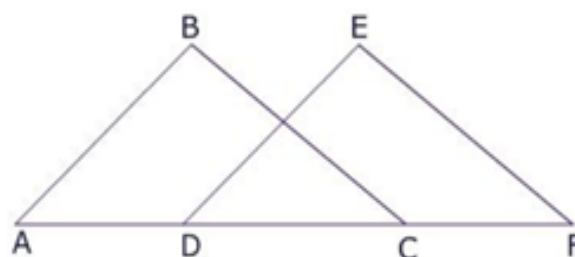
Statement	Justification
DE is a perpendicular bisector of FC	Given
$FE = CE$	Definition of bisect
$\angle DEF = \angle DEC = 90^\circ$	Definition of perpendicular
$DF = DC$	Given
DF and DC are hypotenuses of their respective triangles	Definition of hypotenuse
$\triangle DEF \cong \triangle DEC$	HL

* Note: We could prove these triangles are congruent using SAS.

5.

Given $\overline{BC} \parallel \overline{EF}$
 $\overline{AD} \cong \overline{CF}$
 $\angle ABC \cong \angle DEF$

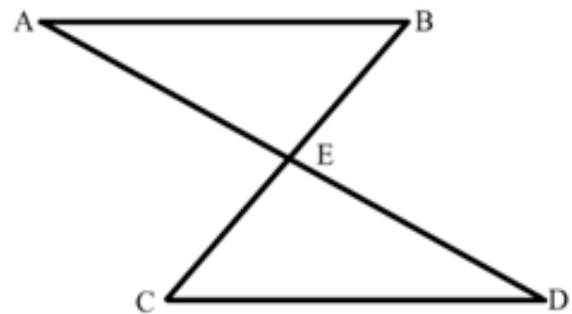
Prove $\triangle ABC \cong \triangle DEF$



Statement	Justification
$BC \parallel EF$	Given
$\angle BCA = \angle EFD$	Corresponding angles
$AC = AD + DC$ $DF = CF + DC$	Segment addition
$AD = CF$	Given
$AC = DF$	Transitive property
$\angle ABC = \angle DEF$	Given
$\triangle ABC \cong \triangle DEF$	AAS

6. **Given:** $AB = DC$, and $AB \parallel DC$

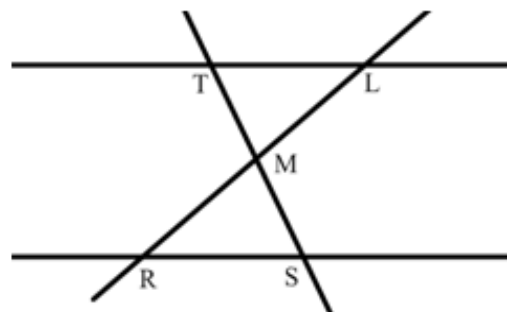
Prove: $AE \cong DE$



Statement	Justification
$AB = DC$	Given
$AB \parallel DC$	Given
$\angle A = \angle D$	Alternate interior angles
$\angle B = \angle C$	Alternate interior angles
$\triangle ABE \cong \triangle DCE$	ASA
$AE \cong DE$	CPCTC

7. **Given:** $TL \parallel RS$, and M is the midpoint of LR

Prove: M is the midpoint of TS



Statement	Justification
M is the midpoint of LR	Given
$LM = RM$	Definition of midpoint
$TL \parallel RS$	Given
$\angle TLM = \angle SRM$	Alternate interior angles
$\angle LTM = \angle RSM$	Alternate interior angles
$\triangle TLM \cong \triangle SRM$	AAS
$TM \cong SM$	CPCTC
M is the midpoint of TS	Definition of midpoint